This guide includes:

- Purpose
- Assessment Design
- Test Administration
- Sample Test Items
- Resources
- Appendix A: Assessable Content
- Appendix B: Answer Key/Rubrics for Sample Items


## PURPOSE

This document is designed to assist Louisiana educators in understanding the LEAP 2025 mathematics assessment for grade 8.

## Introduction

All students in grades 3-HS will take the LEAP 2025 mathematics assessments, which provide:

- questions that have been reviewed by Louisiana educators to ensure their alignment to the Louisiana Student Standards and appropriateness for Louisiana students;
- measurement of the full range of student performance, including the performance of high- and low-performing students; and
- information for educators and parents about student readiness in mathematics and whether students are "on track" for college and careers.

Mathematics Vision for Instruction and Assessment
Students in Louisiana are ready for college or a career if they are able to meet college and workplace expectations without needing remediation in mathematics skills and concepts. The Louisiana Student Standards for Mathematics (LSSM) support students to become mathematically proficient by focusing on three components of rigor: conceptual understanding, procedural skill and fluency, and application.

- Conceptual understanding refers to understanding mathematical concepts, operations, and relations. It is more than knowing isolated facts and methods. Students should be able to make sense of why a mathematical idea is important and the kinds of contexts in which it is useful. It also allows students to connect prior knowledge to new ideas and concepts.
- Procedural Skill and Fluency is the ability to apply procedures accurately, efficiently, and flexibly. It requires speed and accuracy


Focus strongly where the standards focus.


Think across grades, and link to major topics within grades.


In major topics, pursue conceptual understanding, procedural skill and fluency and application with equal intensity.
in calculation while giving students opportunities to practice basic skills. Students' ability to solve more complex application tasks is dependent on procedural skill and fluency.

- Application provides a valuable context for learning and the opportunity to solve problems in a relevant and a meaningful way. It is through realworld application that students learn to select an efficient method to find a solution, determine whether the solution(s) makes sense by reasoning, and develop critical thinking skills.


## ASSESSMENT DESIGN

## Supporting Key Goals in Mathematics Instruction

The LEAP 2025 Mathematics Assessments focus on testing the LSSM according to the components of rigor reflected in high-quality mathematics instructional tasks that:

- require students to demonstrate understanding of mathematical reasoning in mathematical and applied contexts;
- assess accurate, efficient, and flexible application of procedures and algorithms;
- rely on application of procedural skill and fluency to solve complex problems; and
- require students to demonstrate mathematical reasoning and modeling in real-world contexts.


## Assessable Content

Each item on the LEAP 2025 mathematics assessment is referred to as a task and is identified by one of three types: Type I, Type II, or Type III. The tasks on the LEAP 2025 mathematics test are aligned directly to the Louisiana Student Standards for Mathematics (LSSM) for all reporting categories.

- Type I tasks, designed to assess conceptual understanding, fluency, and application, are aligned to the major, additional, and supporting content for grade 8.
- Type II tasks are designed to assess student reasoning ability of selected major content for grades 7 or 8 in applied contexts.
- Type III tasks are designed to assess student modeling ability of selected content for grades 7 or 8 in applied contexts. Type II and III tasks are further aligned to LEAP 2025 evidence statements for the Expressing Mathematical Reasoning and Modeling \& Application reporting categories.

All tasks are reviewed and vetted by teacher committees to verify direct and full alignment to the LSSM. LEAP 2025 evidence statements for grade 8 are labeled as "LEAP.II.8.\#" for Type II tasks and "LEAP.III.8.\#" for Type III tasks. See the table in Appendix A for a listing of assessable content of the LSSM and LEAP 2025 evidence statements.
As shown in the following table, each of the three task types is aligned to one of four reporting categories: Major Content, Additional \& Supporting Content, Expressing Mathematical Reasoning, or Modeling \& Application. Each task type is designed to align with at least one of the Louisiana Student Standards for Mathematical Practice (MP), found on pages 6-8 in the K-12 Louisiana Student Standards for Mathematics.

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| Task <br> Type | Description | Reporting Category | Mathematical Practice <br> (MP) |
| :---: | :--- | :--- | :--- |
| Type <br> I | conceptual understanding, <br> fluency, and application | Major Content: solve problems involving the major content for grade 8 <br> Additional \& Supporting Content: solve problems involving the <br> additional and supporting content for grade 8 | can involve any or all <br> practices |
| Type <br> II | written arguments/justifications, <br> critique of reasoning, or precision <br> in mathematical statements | Expressing Mathematical Reasoning: express mathematical reasoning <br> by constructing mathematical arguments and critiques | primarily MP.3 and MP.6, <br> but may also involve any <br> of the other practices |
| Type <br> III | modeling/application in a real- <br> world context or scenario | Modeling \& Application: solve real-world problems engaging <br> particularly in the modeling practice | primarily MP.4, but may <br> also involve any of the <br> other practices |

The Major Content reporting category will be divided, based on Achievement Level Descriptors into the following subcategories.

| Subcategory | Associated LSSM and LEAP 2025 <br> Evidence Statements | Description |
| :---: | :--- | :--- |
| Radicals, Integer Exponents, <br> and Scientific Notation | 8 EE.A.1, 8 EE.A.2, 8.EE.A.3, <br> 8.EE.A.4 | Students represent, evaluate, and solve expressions, equations, and <br> mathematical problems that include or require integer exponents, square <br> roots, cube roots, and quantities expressed in scientific notation. |
| Proportional Relationships, <br> Linear Equations, and <br> Functions | 8.EE.B.5, 8.EE.B.6, 8.F.A.1, 8.F.A.2, <br> 8.F.A.3 | Students understand and apply the concept of proportional relationships <br> and functions to analyze, graph, compare, and solve real-world <br> mathematical problems and relationships. |
| Solving Linear <br> Equations/Systems of Linear <br> Equations | 8.EE.C.7b, 8.EE.C.8 | Students solve linear equations in one variable with rational number <br> coefficients. Students analyze and solve pairs of simultaneous linear <br> equations graphically, algebraically, and by inspection. |
| Congruence and <br> Similarity/Pythagorean <br> Theorem | 8.G.A.1, 8.G.A.2, 8.G.A.3, 8.G.A.4, <br> 8.G.B.7, 8.G.B.8 | Students perform and describe the effects of transformations on two- <br> dimensional figures, with and without coordinates. Students apply the <br> Pythagorean Theorem to solve mathematical and real-world problems. |

These reporting categories will provide parents and educators valuable information about

- overall student performance, including readiness to continue further studies in mathematics;
- student performance broken down by mathematics content and practices, which may help identify when students need additional support or more challenging work;
- student performance in Major Content broken down by content subcategories, which may help teachers and schools home in on specific content for professional development; and
- how well schools and districts are helping students achieve higher expectations.


## Achievement-Level Definitions

Achievement-level definitions briefly describe the expectations for student performance at each of Louisiana's five achievement levels, described below:

- Advanced: Students performing at this level have exceeded college and career readiness expectations, and are well prepared for the next level of studies in this content area.
- Mastery: Students performing at this level have met college and career readiness expectations, and are prepared for the next level of studies in this content area.
- Basic: Students performing at this level have nearly met college and career readiness expectations, and may need additional support to be fully prepared for the next level of studies in this content area.
- Approaching Basic: Students performing at this level have partially met college and career readiness expectations, and will need much support to be prepared for the next level of studies in this content area.
- Unsatisfactory: Students performing at this level have not yet met the college and career readiness expectations, and will need extensive support to be prepared for the next level of studies in this content area.


## Test Design

The LEAP 2025 mathematics assessment in grade 8 contains a total of 42 tasks for 66 points. The table below shows the breakdown of the number of tasks and point values by Reporting Category and Session.

| Reporting Category | Session 1: No Calculator |  | Session 2: <br> Calculator |  | Session 3: <br> Calculator |  | TOTAL |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Tasks | Points | Tasks | Points | Tasks | Points | Tasks | Points |
| Major Content | 13-18 | 18 | 3-6 | 6 | 4-6 | 6 | 25-30 | 30 |
| Additional \& Supporting Content | 2-4 | 4 | 2-3 | 3 | 2-3 | 3 | 5-10 | 10 |
| Expressing Mathematical Reasoning | 0 | 0 | 2 | 7 | 2 | 7 | 4 | 14 |
| Modeling \& Application | 0 | 0 | 2 | 9 | 1 | 3 | 3 | 12 |
| TOTAL Operational | 15-20 | 22 | 10-13 | 25 | 10-12 | 19 | 43 | 66 |
| Total Embedded Field Test | 2-3 | N/A | 2-3 | N/A | 1 | N/A | 5-7 | N/A |
| Session Time | 60 minutes |  | 90 minutes |  | 90 minutes |  | 240 minutes |  |

Note: The test will contain additional field-test tasks. The field-test tasks do not count towards a student's final score on the test; they provide information that will be used to help develop future test forms.

The following table includes information on the total tasks, total points, and percentage of assessment points by task-type point-values.

| Task Types | Point-Values | Total Tasks | Total Points |  | Percentage of Assessment Points |  |  |
| :--- | ---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Type I | 1-point tasks | 30 | 30 | 40 | $46 \%$ | $61 \%$ |  |
|  | 2-point tasks | 5 | 10 |  | $15 \%$ | $21 \%$ |  |
| Type II | 3-point tasks | 2 | 6 | 14 | $9 \%$ |  |  |
|  | 4-point tasks | 2 | 8 |  | $12 \%$ | $18 \%$ |  |
| Type III | 3-point tasks | 2 | 6 | 12 | $9 \%$ |  |  |
|  | 6-point tasks | 1 | 6 |  | $9 \%$ | $100 \%$ |  |
| 66 |  |  |  |  |  |  |  |

## TEST ADMINISTRATION

## Administration Schedule

The computer-based testing window opens April 1, 2019 and runs through May 3, 2019. The school or district test coordinator will communicate the testing schedule.

All LEAP 2025 assessments are timed. No additional time is permitted, except for students who have a documented extended time accommodation (e.g., an IEP).

## Scheduling Requirements for Computer-Based Testing

Computer-based testing allows districts some flexibility in scheduling. However, to reduce incidences of testing irregularities, districts must adhere to the following scheduling and administration practices:

- Testing students in the same grade level across the school at or very close to the same time
- Completing makeup testing for students immediately upon their return
- Limiting student interaction during breaks between test sessions
- Isolating students who have not completed testing for the day (e.g., students with extended time accommodation)
- Preventing interaction between groups of students taking the same tests at different times within a testing day
- Requiring the completion of a session once it is opened (i.e., limiting the reopening of test sessions)
- Taking the sessions within a content area in the correct order (e.g., ELA Session 1 taken before ELA Session 2)

We also recommend:

- limiting sessions to no more than three in one day for a student; and
- administering no more than one session that includes an extended-response task or writing prompt (i.e., ELA Session 1, and ELA Session 2 ) in a day to an individual student.

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For more information about scheduling and administration policies, refer to the CBT Guidance document, found in the LDOE Assessment library.

## Item Types

All of the item types in the following list will appear on the tests.

- Multiple Choice (MC) - This item type asks students to choose one correct answer from four and may appear as a one-part question, as part of a two-part question, or as a part of a CR item. The MC items are worth one point.
- Multiple Select (MS) - This item type asks students to choose more than one correct answer and may appear as a one-part question, as part of a two-part question, or as a part of a CR item. Whenever this item type is used, the question always identifies in boldface print that more than one answer is required. The question may or may not specify the exact number of correct answers. The MS items are worth one point. Students must choose all correct answers and no incorrect answer can be chosen.
- Short Answer (SA) - This item type asks students to key numeric answers into an entry box using the keyboard and may appear as a one-part question, as part of a two-part question, or as a part of a CR item. The SA items are worth one point. Unless specified in the question, a student will earn credit for an answer that is mathematically equivalent to the correct numerical answer. Answers to SA items can be positive or negative and must be entered in integer or decimal form.
- Keypad Input (KI) - This item type asks students to key numeric or algebraic answers in the form of fractions, mixed numbers, expressions, equations, or inequalities. This item type may appear as a one-part question, as part of a two-part question, or as a part of a constructedresponse item. The KI items are worth one point. Unless specified in the question, a student will earn credit for an answer that is equivalent to the correct numeric or algebraic response.
- Technology Enhanced (TE) - This item type uses technology to capture student responses and may appear as a one-part question, as part of a two-part question, or as a part of a CR item. The TE items are worth one point. Students must meet the requirements of the question exactly to receive credit. The Online Tools Training (OTT) allows students to practice answering the different types of TE questions. For a summary of the different kinds of TE items and where to find examples, refer to LEAP 2025 Technology-Enhanced Item Types.
- Constructed Response (CR) - This item type can be single- or multi-part. CR items ask students to create a written explanation or justification, model a process, and/or compute an answer to earn a series of points. A student may receive partial or full credit on CR items, but maximum point values will vary by task. Maximum values for CR items are 3,4 , or 6 points. When responding to a CR item, students will type their responses into a response box, like the shown one below.
$\square$


## Response Box

The response box allows students to use the keyboard to type in their response or work. There is a limit to the number of characters that can be typed in the response box; however, it is set will beyond what a student might produce based on grade-specific expectations of the item. The toolbar at the top of the response box has the Equation Builder tool that allows the students to create a response with commonly-used grade-specific math symbols.

## Equation Builder

Students are not required to use the equation builder for any symbols which are available on the keyboard. For example, students may use a slash, forward / or back <br>, to represent a fraction, a carat ^ to represent exponents, or a pair of pipes || to represent absolute value. Additionally, symbols like degree ${ }^{\circ}$ and perpendicular $\perp$ are not available on the keyboard, but students may type the words "degrees" and "perpendicular" as necessary. Other symbols, such as square root $V$ and pi $\pi$, are not available on the keyboard, but may be required in symbol form for expressions and equations.


The Equation Builder does not include all symbols/characters students might need to type into the response box. Students should know how to type a negative sign - and a colon : using the keyboard. The $\times$ button in the Equation Builder is a multiplication symbol and should not be used as a variable x , but students are not penalized if they do.

## Using the Equation Builder

- To enter text, click pointer in the Response Box and type text using the keyboard.
- Click on the Equation Builder button to open the tool and enter any math symbols, characters, or math format.
- When finished, click on the OK button in the lower-right corner of the Equation Builder tool - the equation will be entered into the response box.
- To cancel what you have entered, click on the Cancel button in the lower-right corner of the Equation Builder tool and you will be returned to the response box.
- To edit an existing equation, double-click on the equation in the Response Box. This will re-open the Equation Builder.


## Additional Considerations for Students When Using the Equation Builder

The symbols outlined in red below are not used in middle school math and should be ignored when using the Equation Builder tool in grades 6, 7 , and 8 .

| Equation Buider |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $+$ | - | $\times$ | $\div$ | $\pm$ | \% | $<$ | $\leq$ | $=$ | $\approx$ | $\neq$ | $\geq$ | > | (口) | \|미 | $\sqrt{\square}$ | 9 |  |  | $\square$ | $\pi$ |
| $\sin$ | $\cos$ | $\tan$ | $\sin ^{-1}$ | $\cos ^{-1}$ | $\tan ^{-1}$ | $\bar{\square}$ | $\stackrel{\square}{\square}$ | $\vec{\square}$ | - | $\angle$ | - | $\sim$ | $\cong$ | \\| | $\perp$ | $\Delta$ | $\ell$ | $\theta$ |  |  |

Online Tools
The tests include the following online tools, which allow a student to select answer choices, "mark" tasks, eliminate answer options, use a calculator, take notes, enlarge the task, guide the reading of a task line by line, see the mathematics reference sheet, use a ruler, and use an equation builder for entering special characters. A help tool is also featured to assist students as they use the online system.


All students taking the computer-based tests should work through the Online Tools Training (available in INSIGHT or here using the Chrome browser) to practice using the online tools so they are well prepared to navigate the online testing system.

To ensure accurate measurement, the size of the computer-based ruler and protractor, along with the object being measured, varies depending on the computer monitor's resolution. To practice with the computer-based ruler and protractor, visit the Online Tools Training (available in INSIGHT or here using the Chrome browser).

Grade 8 rulers provided on the LEAP 2025 CBT (not actual size):


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## Permitted Testing Materials

The chart that follows summarizes the tools and resources for the grade 8 mathematics assessment.

| Required Tools | Provided | Session 1 | Sessions 2 \& 3 | Guidelines |
| :---: | :---: | :---: | :---: | :---: |
| scratch paper (lined, graph, un-lined), two pencils | by Test Administrator | YES | YES | - Reference sheets may be printed from eDirect <br> - Tools provided by Test Administrator must not be written on <br> - See Calculator Policy for calculator specifications |
| $\frac{1}{8}$-inch ruler and centimeter ruler | online | YES | YES |  |
| calculator | online and/or by Test Administrator | NO | YES |  |
| Grade 8 Mathematics Reference Sheet | online and/or by Test Administrator | YES | YES |  |
| Allowable Tools | Provided | Session 1 | Sessions 2 \& 3 | Guidelines |
| protractor, tracing paper, reflection tools, straight edge, and compass | by Test Administrator | YES | YES | - Schools may permit students to bring their own allowable tools; test administrators must ensure tools are appropriate for testing (e.g., tools do not have any writing on them) |

## Calculator Policy

The LEAP 2025 mathematics test allows a scientific calculator in grade 8 during Sessions 2 and 3 . Calculators are not allowed during Session 1 of the test. For students with the approved accommodation, a hand-held scientific calculator is allowed during all test sessions. The following table includes calculator information by session for both general testers and testers with approved accommodations for calculator use.

| Calculator Policy | Session 1 | Sessions $2 \& 3$ |
| :--- | :---: | :---: |
| General Testers | Not allowed | Scientific calculator available online, <br> may also have hand-held |
| Testers with approved accommodation for <br> calculator use | Scientific calculator available online, <br> may also have handheld |  |
| Additional information for testers with approved accommodations for calculator use: <br> - If a student needs an adaptive calculator (e.g., large key, talking), the student may bring his or her own or the school may provide one, <br> as long as it is specified in his or her approved IEP or 504 Plan. |  |  |
| - Students may also use a hand-held four-function calculator in addition to the scientific calculator, provided the accommodation is |  |  |
| documented. The four-function calculator may have square root, percent, memory, and +/- keys. |  |  |

Additionally, schools must adhere to the following guidance regarding calculators.

- Scientific calculators must not have graphing capabilities
- Calculators with the following features are not permitted:
o Computer Algebra System (CAS) features
o "QWERTY" keyboards
o paper tape
0 talk or make noise, unless specified in IEP/IAP
o tablet, laptop (or PDA), phone-based, or wristwatch
- Students are not allowed to share calculators within a testing session.
- Test administrators must confirm that memory on all calculators has been cleared before and after the testing sessions.
- The student should use the calculator they have used regularly throughout the school year in their classroom and are most familiar with, provided their regular-use calculator is not outside the boundaries of what is allowed.
- If schools or districts permit students to bring their own hand-held calculators, test administrators must confirm that the calculators meet all the requirements as defined above.



## Reference Sheet

- 1 inch $=2.54 \mathrm{~cm}$
- $1 \mathrm{~m}=39.37$ inches
- 1 mile $=5280$ feet
- 1 mile $=1760$ yards
- 1 mile $=1.609 \mathrm{~km}$
- 1 km = 0.62 mile
- 1 pound = 16 ounces
- 1 pound $=0.454 \mathrm{~kg}$
- $1 \mathrm{~kg}=2.2$ pounds
- 1 ton = 2000 pounds
- 1 cup $=8$ fluid ounces
- 1 pint = 2 cups
- 1 quart = 2 pints
- 1 gallon $=4$ quarts
- 1 gallon $=3.785 \mathrm{~L}$
- $1 L=0.264$ gallon
- 1 L = 1000 cubic cm

| Cylinder | $V=\pi r^{2} h$ |
| :---: | :---: |
| Sphere | $V=\frac{4}{3} \pi r^{3}$ |
| Cone | $V=\frac{1}{3} \pi r^{2} h$ |
| Pythagorean Theorem | $a$ |

Students in grade 8 will be required to know relative sizes of measurement units within one

- $1 \mathrm{~m}=100 \mathrm{~cm}$ - 1 foot $=12$ inches
- $1 \mathrm{~m}=1000 \mathrm{~mm}$
- 1 yard $=3$ feet
- $1 \mathrm{~km}=1000 \mathrm{~m}$
- 1 day $=24$ hours
- $1 \mathrm{~kg}=1000 \mathrm{~g}$
- 1 minute $=60$ seconds
- $1 \mathrm{~g}=1000 \mathrm{mg}$
- 1 hour = 60 minutes
- $1 \mathrm{~L}=1000 \mathrm{~mL}$
- Area and Perimeter formulas for rectangles system of units. Therefore, the following requisite knowledge is necessary for the grade 8 assessments and is not provided in the reference sheet.


## SAMPLE TEST ITEMS

This section includes six Type I tasks, one Type II task, and one Type III task as they would appear on a test. The answer keys for each Type I task and scoring rubrics for each constructed-response task are located in Appendix B. Look for these tasks in the OTT.

Multiple-Choice Task
Which equation has the same solution as $4-2(x-5)=x-19$ ?
(a) $2(x+5)=-8$
(b) $3(x-3)=9$
(C) $x+2=2 x-3$
(d) $3 x-4=2 x+7$

Multiple-Select Task
Which numbers are rational?
Select each number that is correct.
(a) $58.2 \overline{47}$
(b) $\sqrt{3}$
(C) $\frac{7}{195}$
(d) $6 \pi$
(e) $\frac{8}{5}$

TE: Drag-and-Drop Task
Seven expressions are shown. Indicate whether each expression is equivalent to or not equivalent to $7^{8} \times 7^{-4}$. Drag and drop each expression into the correct box.


TE: Dropdown Menu/Short Answer Type I Task

## Part A

Paul wrote the equation $t=2 m+40$ to represent the temperature, $t$, in degrees Celsius, after a substance had been heated for $m$ minutes.
Describe the relationship between the temperature of the substance and the time the substance has been heated.
Select from the drop-down menus to correctly complete each statement.

| The temperature was initially it was heated. | $\checkmark$ degree(s) Celsius. The temperature increased by |  |  | $\checkmark$ degree(s) Celsius every | $\checkmark$ minute(s) |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |
|  | 1 |  | 1 |  | 1 |
|  | 2 |  | 2 |  | 2 |
|  | 10 |  | 10 |  | 10 |
|  | 40 |  | 40 |  | 40 |

## Part B

Based on Paul's equation, how many minutes does the substance have to be heated to reach a temperature of 100 degrees Celsius?
Enter your answer in the box.
$\square$

TE: Match Interaction Task
Four systems of equations are shown in the table. Indicate whether each system of equations has no solution, one solution, or infinitely many solutions.

Select a cell in each row of the table.


## Keypad Input Task

Damien has a newspaper delivery route. Every morning it takes him 12 minutes to organize his newspapers before he starts his delivery. Then, he delivers 3 newspapers every 2 minutes.

Write a function to represent the number of minutes, $y$, it takes Damien each day to deliver $x$ newspapers, including the time it takes him to get organized.

Enter your answer in the box.

| $\square \rightarrow \rightarrow \square \square$ |  |  |  |  |  |  |  |  |  |  |  | $?$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 2 | 3 | $x$ | $y$ | + | - | - | $\div$ |  |  |  |  |
| 4 | 5 | 6 |  |  | < | $\leq$ | = | $\geq$ | $>$ |  |  |  |
| 7 | 8 | 9 |  |  | 믐 | $\square^{\square}$ |  | \|a| | $\sqrt{\square}$ | $\sqrt[5]{\square}$ | $\pi$ |  |
| 0 |  | $\left(^{-}\right.$ |  |  |  |  |  |  |  |  |  |  |

Assessment Guide for Grade 8 Mathematics

Type II Constructed-Response Task

## Part A

Cary claimed that the expression -5 + $m$ is negative. Determine whether Cary's claim is always true, sometimes true, or never true. Provide evidence to support your conclusion.

Enter your answer and your explanation in the space provided
$\square$

## Part B

Phillip claimed that the expression $-p+5+p$ is positive for any value of $p$. Determine whether Phillip's statement is always true, sometimes true, or never true. Provide evidence to support your conclusion.

Enter your answer and your explanation in the space provided.


Type III Constructed-Response Task
The owner of a computer store is offering a discount on a computer sold in the store.

## Computer Sale!

Original Price: $\$ 598.00$
$25 \%$ off original price
8\% tax applied after discount

## Part A

The owner offers a payment plan where the total cost of the computer is paid in 6 equal monthly payments.

- Determine the amount of each monthly payment.
- Show your work or explain your answer.

Enter the monthly payment and your work or explanation in the box provided.

Ea

The owner of a computer store is offering a discount on a computer sold in the store.

## Computer Sale!

Original Price: $\$ 598.00$
$25 \%$ off original price
8\% tax applied after discount

## Part B

A different computer is advertised as $40 \%$ off of the original price. After the discount, the tax is $\$ 44.64$.

- Determine the total price of this computer after the discount and tax are applied.
- Show your work or explain your answer.
- Determine the original price of this computer.
- Show your work or explain your answer.

Enter your answers and your work or explanations in the box provided.

## RESOURCES

## Assessment Guidance Library

- LEAP 2025 Equation Builder for Grades 6-8: provides teachers with information on using the equation builder; Spanish
- LEAP 2025 Grades 5-HS Mathematics Reference Sheets: includes all the mathematics references sheets provided for LEAP 2025 testing
- Assessment Development Educator Review Committees: describes the item development process and associated committees, includes information on applying for participation


## Practice Test Library

- LEAP 2025 Grade 8 CBT Practice Test and Answer Key: includes answer keys, scoring rubrics, and alignment information for each task on the practice test; Spanish
- LEAP 2025 Math Practice Test Guidance provides guidance on using the math practice tests to support instructional goals
- Practice Test Quick Start Guide: provides information regarding administration and scoring of the online practice tests


## Assessment Library

- LEAP 2025 Accessibility and Accommodations Manual: provides information about accessibility features and accommodations
- LEAP 2025 Technology Enhanced Item Types: provides a summary of technology enhanced items students may encounter
- LEAP 360: non-summative assessment system; includes diagnostic and interim assessments


## eDIRECT

- includes access to tutorials, manuals, and user guides
- EAGLE: part of the LEAP 360 system which allows teachers to integrate high-quality questions into daily lessons through teachercreated tests, premade assessments, and items for small group instruction


## INSIGHT ${ }^{\text {TM }}$

- Online Tools Training: allows students to become familiar with the tools available in the online testing platform
- LEAP 2025 Grade 8 Practice Test: helps prepare students for the tests


## Grades 6-8 Math Teacher Library

- K-12 Louisiana Student Standards for Math: explains the development of and lists the math content standards for Louisiana students
- Grade 8 Math - Teachers Companion Document 2.0: contains descriptions of each standard to answer questions about the standard's meaning and how it applies to student knowledge and performance
- Grade 8 Remediation Guide: reference guide for teachers to help them more quickly identify the specific remedial standards necessary for every standard, includes information on content emphasis
- K-12 LSSM Alignment to Rigor: provides explanations and a standards-based alignment to assist teachers in providing a rigorous education


## Contact Us

- AskLDOE electronic ticket system
- assessment@la.gov for assessment questions
- classroomsupporttoolbox@la.gov for curriculum and instruction questions

Newsroom: offers archive copies of newsletters including the LDOE Weekly School System Newsletter and the Teacher Leader Newsletter

## APPENDIX A

| LSSM Content Standards |  |
| :---: | :---: |
| 8.EE.A | Expressions and equations work with radicals and integer exponents. |
| 8.EE.A. 1 | Know and apply the properties of integer exponents to generate equivalent numerical expressions. For example, $3^{2} \times 3^{-5}=3^{-3}=1 / 3^{3}=1 / 27$. |
| 8.EE.A. 2 | Use square root and cube root symbols to represent solutions to equations of the form $x^{2}=p$ and $x^{3}=p$, where $p$ is a positive rational number. Evaluate square roots of small perfect squares and cube roots of small perfect cubes. Know that $\sqrt{ } 2$ is irrational. |
| 8.EE.A. 3 | Use numbers expressed in the form of a single digit times an integer power of 10 to estimate very large or very small quantities, and to express how many times as much one is than the other. For example, estimate the population of the United States as 3 times $10^{8}$ and the population of the world as 7 times $10^{9}$, and determine that the world population is more than 20 times larger. |
| 8.EE.A. 4 | Perform operations with numbers expressed in scientific notation, including problems where both decimal and scientific notation are used. Use scientific notation and choose units of appropriate size for measurements of very large or very small quantities (e.g., use millimeters per year for seafloor spreading). Interpret scientific notation that has been generated by technology. |
| 8.EE.B | Understand the connections between proportional relationships, lines, and linear equations. |
| 8.EE.B. 5 | Graph proportional relationships, interpreting the unit rate as the slope of the graph. Compare two different proportional relationships represented in different ways. For example, compare a distance-time graph to a distance-time equation to determine which of two moving objects has greater speed. |
| 8.EE.B. 6 | Use similar triangles to explain why the slope $m$ is the same between any two distinct points on a non-vertical line in the coordinate plane; derive the equation $y=m x$ for a line through the origin and the equation $y=m x+b$ for a line intercepting the vertical axis at $b$. |
| 8.EE.C | Analyze and solve linear equations and pairs of simultaneous linear equations. |
| 8.EE.C. 7 | Solve linear equations in one variable. <br> b. Solve linear equations with rational number coefficients, including equations whose solutions require expanding expressions using the distributive property and collecting like terms. |
| 8.EE.C. 8 | Analyze and solve pairs of simultaneous linear equations. <br> a. Understand that solutions to a system of two linear equations in two variables correspond to points of intersection of their graphs, because points of intersection satisfy both equations simultaneously. <br> b. Solve systems of two linear equations in two variables algebraically, and estimate solutions by graphing the equations. Solve simple cases by inspection. For example, $3 x+2 y=5$ and $3 x+2 y=6$ have no solution because $3 x+2 y$ cannot simultaneously be 5 and 6 . <br> c. Solve real-world and mathematical problems leading to two linear equations in two variables. For example, given coordinates for two pairs of points, determine whether the line through the first pair of points intersects the line through the second pair. |
| 8.F.A | Define, evaluate, and compare functions. |

## Assessment Guide for Grade 8 Mathematics

| 8.F.A. 1 | Understand that a function is a rule that assigns to each input exactly one output. The graph of a function is the set of ordered pairs consisting of an input and the corresponding output. (Function notation is not required in this grade level.) |
| :---: | :---: |
| 8.F.A. 2 | Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions). For example, given a linear function represented by a table of values and a linear function represented by an algebraic expression, determine which function has the greater rate of change. |
| 8.F.A. 3 | Interpret the equation $y=m x+b$ as defining a linear function, whose graph is a straight line; categorize functions as linear or nonlinear when given equations, graphs, or tables. For example, the function $A=s^{2}$ giving the area of a square as a function of its side length is not linear because its graph contains the points $(1,1),(2,4)$ and $(3,9)$, which are not on a straight line. |
| 8.G.A | Understand congruence and similarity using physical models, transparencies, or geometry software. |
| 8.G.A. 1 | Verify experimentally the properties of rotations, reflections, and translations: <br> a. Lines are taken to lines, and line segments to line segments of the same length. <br> b. Angles are taken to angles of the same measure. <br> c. Parallel lines are taken to parallel lines. |
| 8.G.A. 2 | Explain that a two-dimensional figure is congruent to another if the second can be obtained from the first by a sequence of rotations, reflections, and translations; given two congruent figures, describe a sequence that exhibits the congruence between them. (Rotations are only about the origin and reflections are only over the $y$-axis and $x$-axis in Grade 8.) |
| 8.G.A. 3 | Describe the effect of dilations, translations, rotations, and reflections on two-dimensional figures using coordinates. (Rotations are only about the origin, dilations only use the origin as the center of dilation, and reflections are only over the $y$-axis and $x$-axis in $G r a d e 8$.) |
| 8.G.A. 4 | Understand that a two-dimensional figure is similar to another if the second can be obtained from the first by a sequence of rotations, reflections, translations, and dilations; given two similar two-dimensional figures, describe a sequence that exhibits the similarity between them. (Rotations are only about the origin, dilations only use the origin as the center of dilation, and reflections are only over the $y$-axis and $x$-axis in Grade 8.) |
| 8.G.B | Understand and apply the Pythagorean Theorem. |
| 8.G.B. 7 | Apply the Pythagorean Theorem to determine unknown side lengths in right triangles in real-world and mathematical problems in two and three dimensions. |
| 8.G.B. 8 | Apply the Pythagorean Theorem to find the distance between two points in a coordinate system. |

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Assessable Content for the Additional \& Supporting Content Reporting Category (Type I)

| LSSM Content Standards |  |
| :---: | :---: |
| 8.NS.A | Know that there are numbers that are not rational, and approximate them by rational numbers. |
| 8.NS.A. 1 | Know that numbers that are not rational are called irrational. Understand informally that every number has a decimal expansion; for rational numbers show that the decimal expansion repeats eventually. Convert a decimal expansion which repeats eventually into a rational number by analyzing repeating patterns. |
| 8.NS.A. 2 | Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them approximately on a number line diagram, and estimate the value of expressions (e.g., $\pi^{2}$ ). For example, by truncating the decimal expansion of $\sqrt{ } 2$, show that $\sqrt{ } 2$ is between 1 and 2 , then between 1.4 and 1.5, and explain how to continue on to get better approximations to the hundredths place. |
| 8.F.B | Use functions to model relationships between quantities. |
| 8.F.B. 4 | Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial value of the function from a description of a relationship or from two $(x, y)$ values, including reading these from a table or from a graph. Interpret the rate of change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table of values. |
| 8.F.B. 5 | Describe qualitatively the functional relationship between two quantities by analyzing a graph (e.g., where the function is increasing or decreasing, linear or nonlinear). Sketch a graph that exhibits the qualitative features of a function that has been described verbally. |
| 8.G.C | Solve real-world and mathematical problems involving volume of cylinders, cones, and spheres. |
| 8.G.C. 9 | Know the formulas for the volumes of cones, cylinders, and spheres and use them to solve real-world and mathematical problems. |
| 8.SP.A | Investigate patterns of association in bivariate data. |
| 8.SP.A. 1 | Construct and interpret scatter plots for bivariate measurement data to investigate patterns of association between two quantities. Describe patterns such as clustering, outliers, positive or negative association, linear association, and nonlinear association. |
| 8.SP.A. 2 | Know that straight lines are widely used to model relationships between two quantitative variables. For scatter plots that suggest a linear association, informally fit a straight line, and informally assess the model fit by judging the closeness of the data points to the line. |
| 8.SP.A. 3 | Use the equation of a linear model to solve problems in the context of bivariate measurement data, interpreting the slope and intercept. For example, in a linear model for a biology experiment, interpret a slope of $1.5 \mathrm{~cm} / \mathrm{hr}$ as meaning that an additional hour of sunlight each day is associated with an additional 1.5 cm in mature plant height. |
| 8.SP.A. 4 | Understand that patterns of association can also be seen in bivariate categorical data by displaying frequencies and relative frequencies in a two-way table. Construct and interpret a two-way table summarizing data on two categorical variables collected from the same subjects. Use relative frequencies calculated for rows or columns to describe possible association between the two variables. For example, collect data from students in your class on whether or not they have a curfew on school nights and whether or not they have assigned chores at home. Is there evidence that those who have a curfew also tend to have chores? |

Assessable Content for the Expressing Mathematical Reasoning Reporting Category (Type II)

| LEAP | ements |
| :---: | :---: |
| LEAP.II.8.1 | Base reasoning on the principle that the graph of an equation in two variables is the set of all its solutions plotted in the coordinate plane. Content Scope: Knowledge and skills articulated in <br> - 8.EE.B. 6 - Tasks require students to derive the equation $y=m x$ for a line through the origin and the equation $y=m x+b$ for a line intersecting the vertical axis at b. <br> - 8.EE.C.8a |
| LEAP.II.8.2 | Given an equation or system of equations, present the solution steps as a logical argument that concludes with the set of solutions (if any). Content Scope: Knowledge and skills articulated in <br> - 8.EE.C.7a, 8.EE.C.7b, 8.EE.C.8b - Tasks may have three equations, but students are only required to analyze two equations at a time. |
| LEAP.II.8.3 | Construct, autonomously, chains of reasoning that will justify or refute propositions or conjectures. Content Scope: Knowledge and skills articulated in <br> - 8.F.A. 3 - Tasks require students to justify whether a given function is linear or nonlinear. <br> - 8.G.A.2, 8.G.A. 4 <br> - 8.G.A. 5 <br> - 7.RP.A, 7.NS.A, 7.EE.A - Tasks may have scaffolding. ${ }^{1}$ |
| LEAP.II.8.4 | Present solutions to multi-step problems in the form of valid chains of reasoning, using symbols such as equals signs appropriately (for example, rubrics award less than full credit for the presence of nonsense statements such as $1+4=5+7=12$, even if the final answer is correct), or identify or describe errors in solutions to multi-step problems and present corrected solutions. Content Scope: Knowledge and skills articulated in <br> - 8.EE.C.8c |
| LEAP.II.8.5 | Apply geometric reasoning in a coordinate setting, and/or use coordinates to draw geometric conclusions. Content Scope: Knowledge and skills articulated in <br> - 8.EE.B. 6 <br> - 8.G.A.2, 8.G.A. 4 <br> - 8.G.B - Some of tasks require students to use the converse of the Pythagorean Theorem. |

[^0]Assessable Content for the Modeling \& Applications Reporting Category (Type III)

| LEAP 2025 Evidence Statements |  |
| :--- | :--- |
| LEAP.III.8.1 | Solve multi-step contextual word problems with degree of difficulty appropriate to Grade 8, requiring application of knowledge and skills <br> articulated by the LSSM section of the Major Content Assessable Content table. Tasks may have scaffolding. |
| LEAP.III.8.2 | Solve multi-step contextual problems with degree of difficulty appropriate to grade 8, requiring application of knowledge and skills <br> articulated in 7.RP.A, 7.NS.A.3, 7.EE, 7.G, and 7.SP.B. Tasks may have scaffolding. |
| LEAP.III.8.3 | Micro-models: Autonomously apply a technique from pure mathematics to a real-world situation in which the technique yields valuable <br> results even though it is obviously not applicable in a strict mathematical sense (e.g., profitably applying proportional relationships to a <br> phenomenon that is obviously nonlinear or statistical in nature) requiring knowledge and skills articulated by the LSSM section of the <br> Major Content Assessable Content table. Tasks may have scaffolding. ${ }^{1}$ |
| LEAP.III.8.4 | Reasoned estimates: Use reasonable estimates of known quantities in a chain of reasoning that yields an estimate of an unknown quantity <br> Requiring knowledge and skills articulated by the LSSM section of the Major Content Assessable Content table. Tasks may have <br> scaffolding. ${ }^{1}$ |

APPENDIX B
Answer Key/Rubrics for Sample Items


Assessment Guide for Grade 8 Mathematics


Type II Constructed-Response Rubric

| PART A |  |
| :---: | :---: |
| Score | Description |
| 2 | Reasoning component: Determines the claim is sometimes true with correct reasoning <br> Sample Student Response: <br> Cary's claim is sometimes true. For example, when 4 is substituted for $m,-5+4=-1$. <br> If the value of $m$ is a number that is greater than 5 , such as 6 where $-5+6=1$, then the expression results in a positive number. <br> (Accept alternative valid explanations.) |
| 1 | Student response includes 1 of the 2 elements. |
| 0 | Student response is incorrect or irrelevant. |
| Part B |  |
| Score | Description |
| 2 | Reasoning component: Determines the claim is always true with correct reasoning <br> Sample Student Response: <br> Phillip's claim is always true because $p$ and $-p$ are opposites. The sum of opposites is always 0 . That makes the expression $0+5$ which will always be positive 5 . The value of $p$ does not matter. $7+5+(-7)=0+5=5$ and $-3+5+-(-3)=-3+5+3=0+5=5$ and $0+5+0=5$ since the opposite of 0 is 0 . <br> (Accept alternative valid explanations.) |
| 1 | Student response includes 1 of the 2 elements. |
| 0 | Student response is incorrect or irrelevant. |


| PART A |  |
| :---: | :---: |
| Score | Description |
| 2 | Computation component: Correct amount of each payment, \$80.73 <br> Modeling component: Valid work shown or explanation given <br> Sample Student Response: <br> The discounted price is $75 \%$ of the original price, so I need to multiply the original price by 0.75 . Then, I will multiply that amount by 0.08 to determine the sales tax. Adding the two together will give me the total price of the computer. I then divide the total price of the computer by 6 to determine the six monthly payments. $\$ 598.00 \times 0.75=\$ 448.50, \$ 448.50 \times 0.08=\$ 35.88, \$ 448.50+\$ 35.88=\$ 484.38 \text { total cost, } \$ 484.38 \div 6=\$ 80.73 \text { per month }$ |
| 1 | Student response includes 1 of the 2 elements. |
| 0 | Student response is incorrect or irrelevant. |
| Part B |  |
| Score | Description |
| 4 | Computation components: Correct total price of the different computer, $\$ 602.64$ and correct original price of the different computer, $\$ 930.00$ <br> Modeling components: Valid work shown or explanation given for each computation component <br> Sample Student Response: <br> The tax is $\$ 44.64$, which is $8 \%$ of the sale price of the computer, d. $\frac{44.64}{d}=\frac{8}{100} \quad 4464=8 d$ <br> The price of the computer after discount and sales tax is $\$ 602.64 . \quad 558.00+44.64=602.64$ <br> The sale price is $60 \%$ of the original price, p. $\frac{558.00}{p}=\frac{60}{100} \quad 55800=60 p \quad p=930.00$ |
| 3 | Student response includes 3 of the 4 elements. |
| 2 | Student response includes 2 of the 4 elements. |
| 1 | Student response includes 1 of the 4 elements. |
| 0 | Student response is incorrect or irrelevant. |


[^0]:    ${ }^{1}$ Scaffolding in a task provides the student with an entry point into a pathway for solving a problem. In unscaffolded tasks, the student determines his/her own pathway and process.

